Year	12 Extension 1Trigonometric Functions AssignmentDate Due:
1.	Convert: (a) $\frac{3\pi}{2}$ into degrees (b) 50° into radians, correct to 2 decimal places
2.	Find the exact value of: Solve for $0 \le \theta \le 2\pi$: (a) $\cos\frac{11\pi}{2}$ (b) $\tan\left(-\frac{3\pi}{2}\right)$ (b) $\cos(2x) = \frac{1}{2}$
3.	
4.	Find the length of the arc formed if an angle of $\frac{\pi}{4}$ is subtended at the centre of the circle with radius 5 m.
5.	The area of a circle is 450 cm ² . Find in degrees and minutes, the angle subtended at the centre of the circle by a 2.7 cm arc.
6.	The area of the sector of a circle that is subtended by an angle of $\frac{\pi}{3}$ at the centre is 6π m ² . Find the radius of
7.	the circle. (a) One the same number plane, sketch the curves $y = 3\sin x$ and $y = \cos 2x$ for $0 \le \theta \le 2\pi$ (b) How many solutions are there for $3\sin x = \cos 2x$ in this domain?
8.	Find the values of: (a) $\lim_{x \to 0} \frac{\sin 3x}{x}$ (b) $\lim_{x \to 0} \frac{4x}{\tan 3x}$ Differentiate: (a) $x^3 \cos 2x$ (b) $\frac{3x}{\sin x}$ (c) $\sqrt{\tan 2x}$ Find the primitive function of: (a) $\sin(2x+3)$ (b) $1-\cos 3x$ (c) $\sec^2 2x - \sin 4x$ Evaluate the following: (a) $\int_0^1 \left(\cos \frac{\pi}{2}x\right) dx$ (b) $\int_0^{\frac{\pi}{2}} (\sin x + \cos x) dx$
9.	Differentiate: (a) $x^3 \cos 2x$ (b) $\frac{3x}{\sin x}$ (c) $\sqrt{\tan 2x}$
10.	Find the primitive function of: (a) $\sin(2x+3)$ (b) $1-\cos 3x$ (c) $\sec^2 2x - \sin 4x$
11.	Evaluate the following: (a) $\int_0^1 \left(\cos\frac{\pi}{2}x\right) dx$ (b) $\int_0^{\frac{\pi}{2}} (\sin x + \cos x) dx$
12.	Find the area of the curve $y = 2\cos 3x$ between $x = 0$ and $x = \frac{\pi}{6}$.
13.	Differentiate $\tan^3 x$ and hence find $\int_0^{\frac{\pi}{4}} \tan^2 x \sec^2 x dx$.
14.	The range of a shell fired from a gun having an angle of elevation of θ radians is given by $R = \frac{V^2}{a} \sin 2\theta$ where
	<i>V</i> and <i>g</i> are constants. For what angle of elevation will the range be a maximum? (Hint: you must first find $\frac{dR}{d\theta}$).